

A Reinforcement Learning for Marshaling of Freight Train Considering Collective Motions

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Abstract—In this paper, a new reinforcement learning method is proposed to solve a train marshaling problem for assembling an outgoing train. In the proposed method, each set of freight cars that have the same destination make a group, and the desirable group layout constitutes the best outgoing train. The incoming freight cars are classified into several sub-tracks' by the random arrangement. Then, the cars are rearranged to the main track by a certain desirable order from sub-tracks. When a rearrangement operation is conducted, several cars located on different sub-tracks are collected by a locomotive. In order to rearrange cars by the desirable order, cars are removed from a sub-track to another sub-track. Each marshaling plan that consists of series of removal and rearrangement operations are generated by a reinforcement learning system based on the transfer distance of a locomotive. The total transfer distance of the locomotive required to assemble an outgoing train can be minimized by the proposed method.

Index Terms— Collective action, Freight train, Marshaling, Q-Learning, Scheduling, Container transfer problem

I. INTRODUCTION

In recent years, railway transportation has an attention due to its small environmental load. However, since freight trains can transport goods only between railway stations, modal shifts are required for area that has no railway. Thus, the marshaling operation at freight station is required to joint several rail transports, or different modes of transportation including rail. A freight train is consists of several freight cars, and each car has its own destination. The train driven by a locomotive travels several destinations decoupling corresponding freight cars at each freight station. In intermodal transports including rail, containers carried into the station are loaded on freight cars and located at the freight yard in the arriving order. The initial layout of freight cars in the yard is determined by considering both arrangement of incoming train and the arriving order of the containers carried by non-rail methods. Containers carried into the station are loaded on freight cars and the initial layout of freight cars is thus random. For efficient shift in assembling outgoing train, freight cars must be rearranged before coupling to the freight train. In general, the rearrangement process is conducted in a freight yard that consists of a main-track and several sub-tracks. Freight cars initially placed on sub-tracks are rearranged, and lined into the main track. This series of operation is called marshaling, and several methods to solve the marshaling problem have been proposed [1]-[3]. However,

in these methods, the marshaling is based on the layout generated by the classification process that assigns each car into a certain sub-track. This causes restrictions on the number of sub-tracks and the number of cars in a sub-track. On the other hands, in our research group, several methods that can generate marshaling plans from the random arrangement of cars in sub-tracks have been proposed [4],[5]. Since these methods do not assume a certain arrangement of freight cars generated by the pre-process to ease the marshaling plan, wide range of classification algorithm can be integrated with them.

In this paper a new method for generating marshaling plan of freight cars in a train is proposed. In the proposed method, the incoming freight cars are classified into several sub-tracks by the random arrangement. Then, marshaling plans based on the transfer distance are obtained by a reinforcement learning method [6]. Freight cars to be rearranged are collected from several sub-tracks, coupled to each other and moved into the main track by a locomotive. Simultaneously, the desirable classification of incoming cars as well as, the optimal sequence of car-movements, the number of freight cars that can achieve the desired layout of outgoing train is obtained by autonomous learning. In order to show the effectiveness of the proposed method, computer simulations are conducted for several methods.

II. PROBLEM DESCRIPTION

A. Freight Yard

A freight yard is assumed to have 1 main track and m sub-tracks. Define k as the number of freight cars carried in and assigned to sub-tracks in a classification stage. Then, they are moved to the main track by the desirable order based on their destination in a marshaling stage. In the yard, a locomotive moves freight cars, and the movement of freight cars from sub-track to sub-track is called removal, and the car-movement from sub-track to main track is called rearrangement. For simplicity, the maximum number of freight cars that each sub-track can have is assumed to be n , the i th car is recognized by a unique symbol c_i , ($i=1, \dots, k$). Fig. 1 shows the outline of freight yard in the case $k=30$, $m=n=6$. In the figure, track T_m denotes the main track, and other tracks [1]-[6] are sub-tracks. The main track is linked with sub-tracks by a joint track, which is used for moving cars between sub-tracks, or for moving them from a sub-track to the main track.

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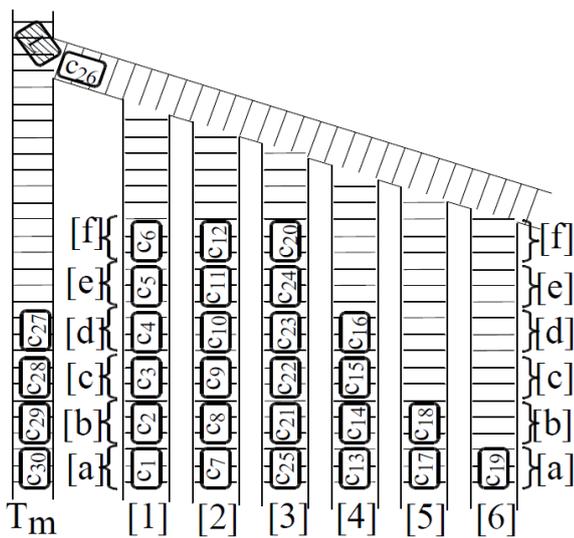


Fig. 1: Freight yard

When the locomotive L moves a certain car, other cars locating between the locomotive and the car to be moved must be removed to other sub-tracks. This operation is called removal. Then, if $k \leq nm-(n-1)$ is satisfied for keeping adequate space to conduct removal process, every car can be rearranged to the main track. In each sub-track, positions of cars are defined by n rows. Every position has unique position number represented by mn integers, and the position number for cars at the main track is 0.

[f]	31	32	33	34	35	36	c_6	c_{12}	c_{20}			
[e]	25	26	27	28	29	30	c_5	c_{11}	c_{24}			
[d]	19	20	21	22	23	24	c_4	c_{10}	c_{23}	c_{16}		
[c]	13	14	15	16	17	18	c_3	c_9	c_{22}	c_{15}		
[b]	7	8	9	10	11	12	c_2	c_8	c_{21}	c_{14}	c_{18}	
[a]	1	2	3	4	5	6	c_1	c_7	c_{25}	c_{13}	c_{19}	
	Position						Marshaling					

Fig. 2 Example of position index and yard arrangement

Fig. 2 shows an example of position index for $k=30, m=n=6$ and the layout of cars for Fig. 1-(b). In Fig. 2, the position "[a][1]" that is located at row "[a]" in the sub-track "[1]" has the position number 1. For unified representation of layout of cars in sub-tracks, the first car is placed at the row "[a]" in every track, and a newly placed car is coupled with the adjacent freight car.

B. Desired layout in the main track

In the main track, freight cars that have the same destination are placed at the neighboring positions. In this case, removal operations of these cars are not required at the destination regardless of arrangements of these cars. In order to consider this feature in the desired layout in the main track, a group is organized by cars that have the same destination, and these cars can be placed at any positions in the group. Then, making a group corresponding to each destination, the order of groups lined in the main track is predetermined by destinations. This feature yields several desirable layouts in the main track.

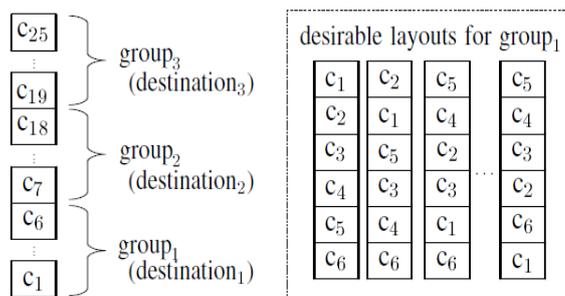


Fig 3: Groups and arrangements of freight cars

Fig. 3 depicts examples of desirable layouts of cars and the desired layout of groups in the main track. In the figure, freight cars c_1, \dots, c_6 to the destination1 make group1, c_7, \dots, c_{18} to the destination2 make group2, c_{19}, \dots, c_{25} to the destination3 make group3. Groups1,2,3 are lined by ascending order in the main track, which make a desirable layout. Also, in the figure, examples of layout in group1 are in the dashed square.

The layout of groups lined by the reverse order does not yield additional removal actions at the destination of each group. Thus, in the proposed method, the layout lined groups by the reverse order and the layout lined by ascending order from both ends of the train are regarded as desired layouts. By defining r as the number of groups, the total number of layouts of group is 2^{r-1} .

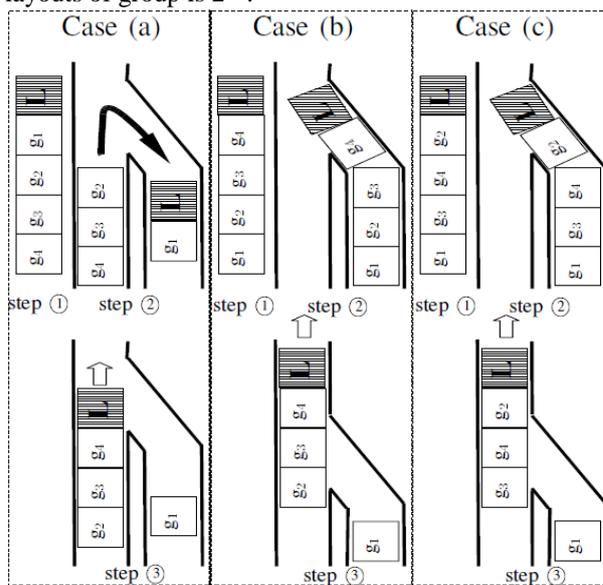


Fig 4: Group layouts in a out going train

Fig. 4 depicts examples of material handling operation for extended layout of groups at the destination of group1. In the figure, step 1 shows the layout of the incoming train. In case (a), cars in group1 are separated at the main track, and moved to a sub-track by the locomotive L at step 2. In cases (b),(c), cars in group1 are carried in a sub-track, and group1 is separated at the sub-track. In the cases, group1 can be located without any removal actions for cars in each group. Thus, these layouts of groups are regarded as candidate for desired one in the learning process of the proposed method.

When there exists a rearranging car that has no car to be removed on it, its rearrangement precedes any removals. In the case that several cars can be rearranged without a removal, rearrangements are repeated until all the candidates for rearrangement requires at least one removal. If several candidates for rearrangement require no removal, the order of

selection is random, because any orders satisfy the desirable layout of groups in the main track. In this case, the arrangement of cars in sub-tracks obtained after rearrangements is unique, so that the movement count of cars has no correlation with rearrangement order of cars that require no removal. This operation is called direct rearrangement. When a car in a certain sub-track can be rearrange directly to the main track and when several cars located adjacent positions in the same sub-track satisfy the

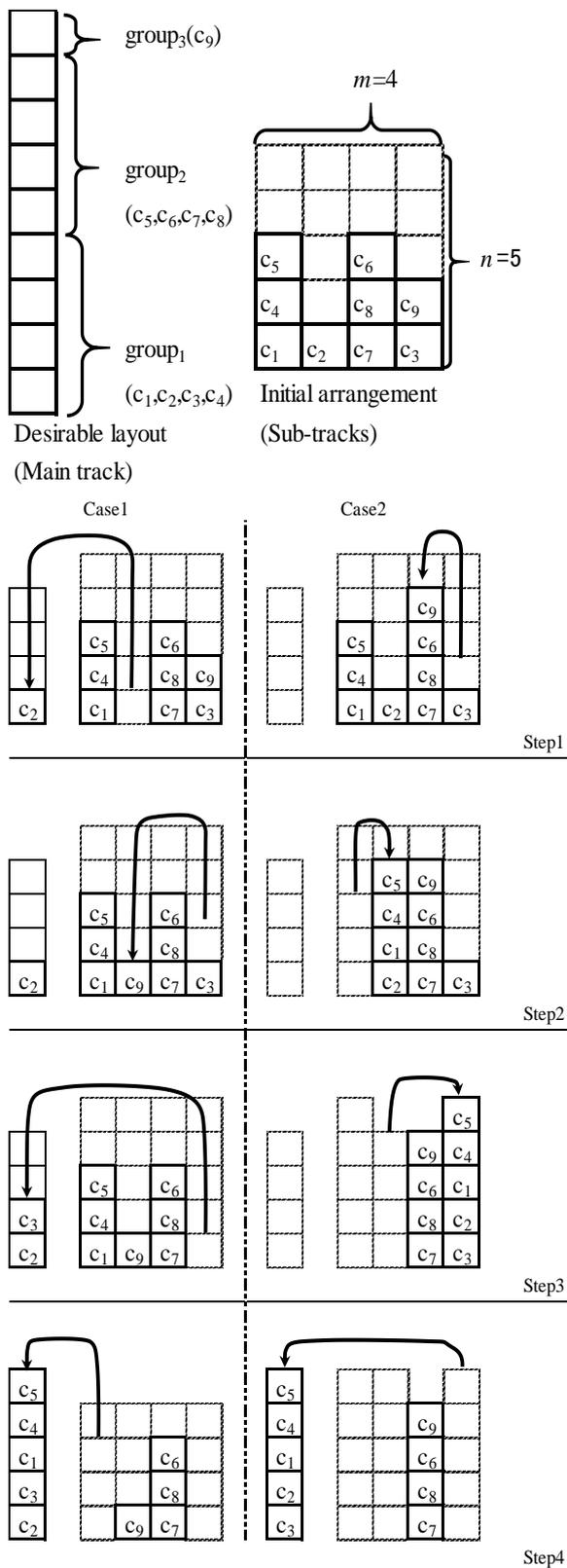


Fig. 5 Example of marshaling

layout of group in the main track, they are coupled and applied direct rearrangement.

Fig. 5 shows 2 cases of marshaling including a removal and rearrangements, existing candidates for rearranging cars that require no removal. At the top of figure, from the left side, a desired layout of cars and groups, and the initial layout of cars in sub-tracks followed by 2 cases in 2 columns are depicted for $m=4, n=5, k=9$. In both cases, c_1, c_2, c_3, c_4 are in group1, c_5, c_6, c_7, c_8 are in group2, and group1 must be rearranged first to the main track. In each group, any layouts of cars can be acceptable. In case1, c_2 in step 1, c_3 in step 3 and step 4 are applied the direct rearrangement. Also, in case2, steps 2 through 4 are direct rearrangements. Step2 in case1 and step1 in case2 are removals. Step 4 in case1, 3 cars c_1, c_4, c_5 located adjacent positions are coupled with each other and moved to the main track by a direct rearrangement operation. In addition, at steps 2 and 3 in case 2, cars in group1 and group2 are collected in sub-tracks to rearrange directly, since the arrangement of c_3, c_2, c_1, c_4, c_5 can satisfy the desired layout of groups in the main track. Whereas, at steps 1,3,4 in case 1, 3 direct rearrangements are conducted separately.

C. Marshaling process

A marshaling process consists of following 6 operations:

- (I) selections: group-layout in the main track, the number of sub-tracks used in the classification,
- (II) rearrangement of freight cars to the main track, when they can be moved directly,
- (III) selection: a freight car to be rearranged into the main track,
- (IV) selection: removal destinations of the cars in front of the car selected in (IV),
- (V) selection: the number of cars to be moved in (V),
- (VI) removal of the cars determined in (VI) to the selected sub-track in (V).

After operations (I),(II) are finished, (III)-(VII) are repeated until one of desirable layouts is achieved in the main track, and a series of operations from the initial one in (I) to the final one in (III) achieving the desirable layout is defined as a trial.

Now, define G_0 as the desired layout, m_c as the number of sub-tracks used in the classification stage and h as the number of candidates of (G_0, m_c) . Each candidate in operation (I) is represented by $u_{j1} (1 \leq j_1 \leq h_1, h_1=2^{n-1}m_c)$.

In the operation (II), an order to collect cars located several sub-tracks is defined as T_C , and candidates of T_C are defined as $u_{j2} (h_1+1 \leq j_2 \leq h_1+h_2)$. Each u_{j2} constructs a sequence of cars which satisfies a part of the layout in G_0 .

In the operation (IV), each group has the predetermined position in the main track. Then, the car to be rearranged is defined as c_T , and candidates of c_T is determined by the number of freight cars that have already rearranged to the main track and the group layout in G_0 . h_3 is defined as the number of freight cars in group to be rearranged, and $u_{j3} (h_1+h_2+1 \leq j_3 \leq h_1+h_2+h_3)$ as candidates of c_T .

In the operation (V), the removal destination of cars located on the car to be rearranged is defined as T_R . Then, defining $u_{j4} (h_1+h_2+h_3+1 \leq j_4 \leq h_1+h_2+h_3+m-1)$ as candidates of T_R , excluding the sub-track that has the car to be removed, and the number of candidates is $m-1$.

In the operation (VI), defining n_p as the number of removal cars required to rearrange c_T , and defining n_q as the number

of removal cars that can be located the sub-track selected in the operation (V), the candidate numbers of cars to be moved are determined by u_{j6} ($1 \leq u_{j5} \leq \min\{n_p, n_q\}$, $h_1+h_2+h_3+m \leq j_5 \leq h_1+h_2+h_3+m + \min\{n_p, n_q\}$). (III)-(VI) are repeated until all the cars are rearranged into the main track.

D. Transfer distance of Locomotive

When a locomotive transfers freight cars, the process of the unit transition is as follows: (E1) starts without freight cars, and reaches to the joint track, (E2) restarts in reverse direction to the target car to be moved, (E3) joints them, (E4) pulls out them to the joint track, (E5) restarts in reverse direction, and transfers them to the indicated location, and (E6) disjoints them from the locomotive. Then, the transfer distance of locomotive in (E1), (E2), (E4) and (E5) is defined as D_1, D_2, D_3 and D_4 , respectively, and the distance of the unit transition D is calculated by $D=D_1+D_2+D_3+D_4$. Also, define the unit distance of a movement for cars in each sub-track as D_{minv} , the length of joint track between adjacent sub-tracks, or, sub-track and main track as D_{minh} . The location of the locomotive at the end of above process is the start location of the next movement process of the selected car. The initial position of the locomotive is located on the joint track nearest to the main track.

Fig. 6 shows an example of transfer distance. In the figure, $m=n=6$, $D_{minv}=D_{minh}=1, k=18$, (a) is position index, and (b) depicts movements of locomotive and freight car. Also, the locomotive starts from position 8, the target is located on the position 18, the destination of the target is 4, and the number of cars to be moved is 2. Since the locomotive moves without freight cars from 8 to 24, the transfer distance is $D_1+D_2=12$, $D_1=5, D_2=7$, whereas it moves from 24 to 16 with 2 freight cars, and the transfer distance is $D_3+D_4=13$ ($D_3=7, D_4=6$).

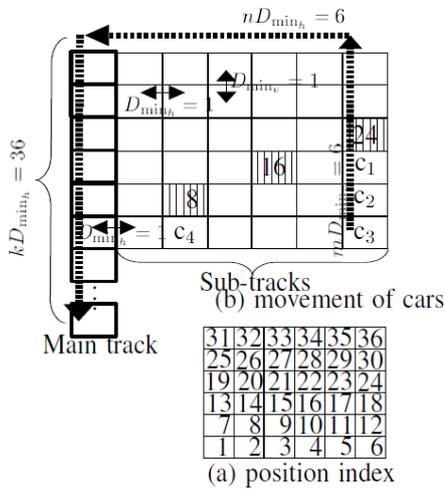


Fig 6: Transfer distance

III. LEARNING ALGORITHM

Defining Q_1 as an evaluation value for G_0 , $Q_1(G_0)$ is updated by the following rule when one of desired layout is achieved in the main track:

$$Q_1(G_0) \leftarrow \max \left\{ Q_1(G_0), (1 - \alpha)Q_1(G_0) + \alpha R \prod_{i=1}^l \gamma_i \right\} \quad (1)$$

where l denotes the total movement counts required to achieve the desired layout, α is learning rate, γ_i is discount factor calculated for each movement, R is reward that is given only when one of desired layout is achieved in the main track.

Define $s(t)$ as the state at time t , T_c as the sub-track selected as the destination for the removed car, p_c as the number of classified groups, q_M as the movement counts of freight cars by direct rearrangement, and s' as the state that follows s . In the direct rearrangement, Q_2 is defined as evaluation values for (s_1, u_{j2}) , where $s_1=[s, Go]$, $s_2=[s_1, T_c]$. $Q_2(s_1, T_c)$ is updated by the following rule:

$$Q_2(s_1, T_c) \leftarrow (1 - \alpha)Q_2(s_3, c_T) + \alpha V_1$$

$$V_1 = \begin{cases} R \prod_{i=1}^q \gamma_i & (\text{all cars moved into the main track}) \\ \gamma \max_{u_{j3}} Q_3(s_3, u_{j3}) & (\text{otherwise}) \end{cases} \quad (2)$$

In the rearrangement, define q as the number of direct movements conducted sequentially, p_M as the number of cars moved. Q_3, Q_4 and Q_5 are defined as evaluation values for $(s_1, u_{j3}), (s_3, u_{j4}), (s_4, u_{j5})$ respectively, where $s_3=s_1$, $s_4=[s_3, c_T]$, $s_5=[s_4, T_R]$. $Q_4(s_3, c_T), Q_5(s_4, T_R)$ and $Q_6(s_5, p_M)$ are updated by following rules:

$$Q_3(s_3, c_T) \leftarrow \max_{u_{j4}} Q_4(s_4, u_{j4}) \quad (3)$$

$$Q_4(s_4, T_R) \leftarrow \max_{u_{j5}} Q_5(s_5, u_{j5}) \quad (4)$$

$$Q_5(s_5, p_M) \leftarrow \begin{cases} (1 - \alpha)Q_5(s_5, p_M) + \alpha \left[R + V_2 \prod_{i=1}^{q+1} \gamma_i \right], \\ V_2 = \max_{u_{j3}} Q_3(s_3', u_{j3}) \quad (u \text{ is a rearrangement}) \\ (1 - \alpha)Q_5(s_5, p_M) + \alpha [R + \gamma V_3], \\ V_3 = \max_{u_{j4}} Q_4(s_4', u_{j4}) \quad (u \text{ is a removal}) \end{cases} \quad (5)$$

where α is the learning rate, R is the reward that is given when one of desirable layout is achieved, and γ is the discount factor that is used to reflect the transfer distance of locomotive and calculated by the following equation:

$$\gamma = \delta \frac{D_{\max} - \beta D}{D_{\max}}, (0 < \beta < 1, 0 < \delta < 1), \quad (6)$$

where D_{\max} is the maximum value of D .

Propagating Q-values by using eqs.(1)-(6), Q-values are discounted according to the transfer distance of locomotive. In other words, by selecting the removal destination that has the largest Q-value, the transfer distance of locomotive can be reduced.

In the learning stages, each u_j , ($1 \leq j \leq h_1+h_2+h_3+m + \min\{n_p, n_q\}$) is selected by the soft-max action selection method [6] In the addressed problem, Q_2, Q_3, Q_4, Q_5 become smaller when the number of discounts becomes larger. Then, for complex problems, the difference between probabilities in candidate selection remain small at the initial state and large at final state before achieving desired layout, even after

method in computer simulations. In addition, the arrangement of freight cars in the main track, the rearrange order of cars, the position of each removal car, the number of cars to be removed, and the group layout in the outgoing train has been obtained simultaneously so that the learning performance of the proposed method has been improved.

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